

ECET 4530

Industrial Motor Control

Starting Induction Motors











Predicting the Locked-Rotor Current

As per **Table 31** of the NEMA **MG-1 Standard**, the nominal **locked-rotor current** for a 3Φ, **230V**, **150hp**, induction motor is **2170A**.

But our motor is rated at 460V.

The <u>footnote</u> at the bottom of the table specifies how to account for the different voltages.

	LOCKED-ROTOR		LOCKED-ROTOR		
HP	AMPERES	LETTERS	HP	AMPERES	LETTER
1/2	20	B, D	60	870	B, C, D
3/4					
1	30	B, C, D	100	1450	B, C, D
1-1/2	40	B, C, D	125	1815	B, C, D
2	50	B, C, D	150	2170	B, C, D
3	64	B, C, D	200	2900	B, C,
5	92	B, C, D	250	3650	в
7-1/2	127	B, C, D	300	4400	в
10	162	B, C, D	350	5100	в
15	232	B, C, D	400	5800	в
20	290	B, C, D	450	6500	в
25	365	B, C, D	500	7250	в
30	435	B, C, D			
40	580	B, C, D			
50	725	B, C, D			

Table 31 LOCKED-ROTOR CURRENT OF 3-PHASE 60-HERTZ SMALL AND





Adverse Effects of Starting Current

The **adverse effects** associated with the large currents that are drawn into a motor during startup include:

- A **torque surge** developed by the motor that can be damaging to the motor's connected mechanical load.
- A voltage drop in the supply network that may affect the operation of other devices.

Whether these currents are short-lived during a successful startup or extended in length during a problematic/failed startup, their effects should be considered in order to determine if they need to be mitigated by the motor control system.

Induction Motor Starting Methods

A variety of different methods have been developed to mitigate the undesirable effects that are associated with the large currents that are normally drawn when starting an induction motor.

They include:

- Reduced Voltage Starting
- Partial Winding Starting
- Reduced Frequency Starting

Note – reduced frequency starting using Variable Frequency Drives (VFDs) is covered in a later presentation.







Series-Resistance Motor Starters

Once the motor has had a chance to accelerate to the point at which the currents drawn by the motor would have decreases to an acceptable level if supplied at rated voltage, the **resistors** must then be **electrically removed from the circuit** so as not to impair the motor's operation under normal use.

A contactor is typically employed to provide this service.











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Series Resistance Starter with Manual (2-Step) Control Circuit • When "Run" is pressed, the "R" coil is energized, in-turn actuating the "R" contacts to bypass the resistors and supply the motor at full-voltage.

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Series-Resistance Starter Operation

Series Resistance Starter with Manual (2-Step) Control Circuit What if "Start" and "Run" are pressed at the <u>same time</u>?



























Determining the Series-Resistor Value

Series Resistance Determination

- By setting the **locked-rotor test voltage** to ½ **rated voltage**, the locked-rotor test will draw half of the current that would be drawn if full-voltage was applied.
- The **50% reduction** in locked-rotor current will **decrease** both the **heat generated** and the **torque developed** during the test **by 75%**.







Series-Resistor Value Example Series Resistance Calculation Example A locked-rotor test is performed on the motor with ½-rated voltage applied per phase during the test. The per-phase test results are as follows: $V_{LR} = 60V, I_{LR} = 2.1A, P_{10} = 90W$

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Series Resistance Calculation Example Series Resistance Calculation Example Test Results: $V_{LR} = 60V$, $I_{LR} = 2.1A$, $P_{10} = 90W$ $R_{LR} = \frac{P_{10}}{I_{LR}^2} = \frac{90}{(2.1)^2} = 20.4\Omega$ $Q_{10} = \sqrt{|S_{10}|^2 - P_{10}^2} = \sqrt{(60x2.1)^2 - (90)^2} = 88.2 Vars$ $X_{LR} = \frac{Q_{10}}{I_{LR}^2} = \frac{88.2}{(2.1)^2} = 20\Omega$ \tilde{v}_{xx}



Series Resistance Calculation Example Desired starting current: $I_{\text{line}} = 2.4 \text{ A}$ $|\widetilde{I}_{llne}| = I_{llne} = \frac{|\widetilde{V}_{ph}|}{|Z_{eq}|} = \frac{V_{ph}}{\sqrt{(R_{ext} + R_{LR})^2 + (X_{LR})^2}} = 2.4 \text{ A}$ $\Rightarrow \frac{120}{\sqrt{(R_{ext} + 20.4)^2 + (20)^2}} = 2.4 \text{ A}$











